

## KINETICS OF THERMAL DECOMPOSITION OF $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$

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### ABSTRACT

The thermal decomposition of  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  was studied under non-isothermal conditions in dynamic air and argon atmospheres and under isothermal conditions in flowing air. Dissociation of the above complex occurs in three stages. The kinetics of the particular stages of  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  thermal decomposition have been evaluated from both dynamic and isothermal weight loss data. The  $R_n$  models were selected as those best fitting the experimental TG curves. These models suggest that the kinetics and macromechanism of the  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  dissociation can be governed by phase boundary processes. The activation energies,  $E_\alpha$ , of the particular stages of the thermal decomposition were calculated. The results have corroborated the view that combination of isothermal and non-isothermal measurements facilitates the selection of the models best fitting experimental TG curves.

### INTRODUCTION

Investigations of the kinetics of thermal decomposition of solids have been approached from two directions: using single crystals and crystalline powder materials. The latter studies have been carried out much more extensively than the former, probably on account of their practical significance. Numerous authors [1–20] have extensively discussed the usefulness of the different methods of thermal analysis which have been employed in kinetic research on the dissociation of solids. Dynamic methods seem to be the most debatable if one uses them to determine the reaction mechanisms and kinetic parameters. On the other hand, some authors (e.g., in Refs. 2, 10 and 17) have pointed out the practical importance of these methods. Tanaka (in, e.g., Ref. 10) has stated that “comparisons of thermal stabilities and/or kinetics among homologous series by means of dynamic thermal analyses should be meaningful, if they were made under identical conditions”. Wendlandt’s [2] point of view is that, in analyzing solid decomposition kinetics, the conventional isothermal method is important for estimating the kinetic model and parameters, but dynamic methods have advantages in several respects. In spite of all objections, non-isothermal methods are, as

hitherto, largely used in thermal analysis (as reported in a dozen or so percent of the published articles) and are more often used than isothermal methods. Kinetic studies of the thermal decomposition of solids make up about 15% of all research on thermal dissociation, as Liptay [18] has reported.

For the last two decades, kinetic analysis of dynamic TG curves has been the most popular method for estimation of the kinetic parameters. The differential and integral kinetic equations connected with the 'mechanism' of the thermal decomposition of solids presented in numerous publications (e.g., refs. 3, 19 and 20) have been used for this estimation. The fact that more than one functional form,  $f(\alpha)$  or  $g(\alpha)$ , fits the experimental results is the general disadvantage of all the suggested methods. The selection of a proper model is then practically impossible, leading to inability to estimate the real kinetic parameters ( $E$ ,  $A$ ).

Numerous attempts have been made to find a means of choosing one kinetic expression that best fits the experimental, non-isothermal TG curve. Then, on the basis of this single, functional form  $f(\alpha)$  or  $g(\alpha)$ , reliable kinetic parameters could be calculated. Phadnis and Deshpande undertook one of these attempts [19]. In the present paper the method of ref. 19 has been compared with the frequently employed modified Coats and Redfern method [21,22] using as an example the thermal decomposition of the simple complex compound  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$ .

Recently, the view that the combined used of isothermal and non-isothermal methods for kinetic determinations is the proper solution [1,10,23–28] has been more and more frequently expressed. The kinetic analysis of weight loss curves of the thermal decomposition of  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  under isothermal conditions has therefore also been made, and the results are presented in this paper.

## EXPERIMENTAL

### *Materials*

Hexaamminecobalt(III) chloride was prepared by the method described in Ref. 29. The complete analytical data for this compound have been given previously [30].

### *Methods*

Simultaneous TG–DTG–DTA curves under non-isothermal conditions were recorded with a Derivatograph C (MOM, Budapest) between 293 and 1273 K, with linear heating rate  $\beta = 1.2 \text{ K min}^{-1}$  in flowing air and argon atmospheres ( $4 \text{ dm}^3 \text{ h}^{-1}$ ).

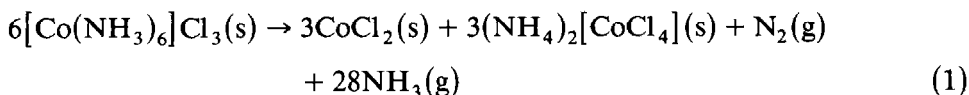
Isothermal TG experiments were performed with the same apparatus in flowing air ( $4 \text{ dm}^3 \text{ h}^{-1}$ ). A preheating step at a constant heating rate  $\beta = 20 \text{ K min}^{-1}$  was followed by an isothermal stage. The temperatures studied in these measurements were: 498.5, 502, 506, 552, 561, 583 and 761.5 K.

The sample weight was 100 mg, and the sieve mesh was  $\leq 0.056 \text{ mm}$  (specific surface  $5.74 \text{ m}^2 \text{ g}^{-1}$ ). Alumina crucibles 7.5 mm in diameter and 15.0 mm tall were used both for the specimen and for the reference material, which was calcined alumina.

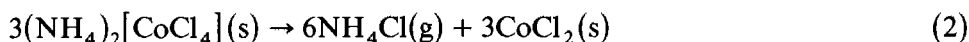
## RESULTS AND DISCUSSION

The thermal decomposition of  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  proceeds in three stages in both air and argon gaseous atmospheres, as was proved earlier [30]. On the basis of the experimental data (thermal and chemical analyses, X-ray diffraction, reflectance spectroscopy, scanning electron microscopy) the probable decomposition sequences of  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  presented in ref. 30 are as follows.

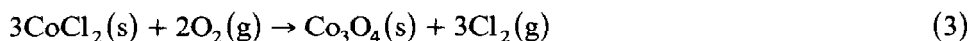
### *Stage I (air, argon)*



### *Stage II (air, argon)*



### *Stage III (air)*



### *Stage III (argon)*



The reactions (1) and (2) are compatible with those of Wendlandt and Smith [31].

### *Non-isothermal experiments*

Kinetic analysis of the experimental TG curves obtained under non-isothermal conditions was performed by means of the methods of Phadnis and

Deshpande [19] [eqns. (5) and (6)] and of Coats and Redfern [21,22] (eqn. (7)).

$$f(\alpha)g(\alpha) = \frac{RT^2}{E_\alpha} \frac{d\alpha}{dT} \quad (5)$$

$$g'(\alpha) = -\frac{E_\alpha}{RT} \quad (6)$$

where

$$g'(\alpha) = \int \frac{d\alpha}{f(\alpha)g(\alpha)}$$

$$\ln\left(\frac{g(\alpha)}{T^2}\right) = \ln\frac{AR}{\beta E_\alpha} \left(1 - \frac{2RT}{E_\alpha}\right) - \frac{E_\alpha}{RT} \quad (7)$$

where  $\alpha$  is the degree of conversion,  $A$  is the pre-exponential factor,  $R$  is the gas constant,  $\beta$  is the linear heating rate ( $\text{K min}^{-1}$ ),  $T$  is the temperature (K) and  $E_\alpha$  is the activation energy.

The degree of conversion,  $\alpha$ , and  $\Delta\alpha/\Delta T \approx d\alpha/dT$  were determined for each stage of dissociation of the complex compound (about 20 values of  $\alpha$  for each stage).

The algebraic expression of differential  $f(\alpha)$  and integral  $g(\alpha)$  functions for the most common mechanism operating in solid-state decompositions [3,19,20] are presented in Table 1.

TABLE 1

Kinetic models investigated

Symbol <sup>a</sup>	$f(\alpha)$	$g(\alpha)$	$g'(\alpha)$
D <sub>1</sub>	$\frac{1}{2}\alpha^{-1}$	$\alpha^2$	$2 \ln \alpha$
D <sub>2</sub>	$1/[-\ln(1-\alpha)]$	$(1-\alpha)\ln(1-\alpha) + \alpha$	$\ln[(1-\alpha)\ln(1-\alpha) + \alpha]$
D <sub>3</sub>	$(1-\alpha)^{2/3}[1-(1-\alpha)^{1/3}]^{-1}$	$\frac{3}{2}[1-(1-\alpha)^{1/3}]^2$	$2 \ln[1-(1-\alpha)^{1/3}]$
D <sub>4</sub>	$1/(1-\alpha)^{-1/3} - 1$	$\frac{3}{2}[1-\frac{2}{3}\alpha - (1-\alpha)^{2/3}]$	$\ln[1-\frac{2}{3}\alpha - (1-\alpha)^{2/3}]$
F <sub>1</sub>	$(1-\alpha)$	$-\ln(1-\alpha)$	$\ln[-\ln(1-\alpha)]$
A <sub>2</sub>	$2(1-\alpha)[- \ln(1-\alpha)]^{1/2}$	$[- \ln(1-\alpha)]^{1/2}$	$\frac{1}{2} \ln[- \ln(1-\alpha)]$
A <sub>3</sub>	$3(1-\alpha)[- \ln(1-\alpha)]^{2/3}$	$[- \ln(1-\alpha)]^{1/3}$	$\frac{1}{3} \ln[- \ln(1-\alpha)]$
R <sub>1</sub>	1	$\alpha$	$\ln \alpha$
R <sub>2</sub>	$(1-\alpha)^{1/2}$	$2[1-(1-\alpha)^{1/2}]$	$\ln[1-(1-\alpha)^{1/2}]$
R <sub>3</sub>	$(1-\alpha)^{2/3}$	$3[1-(1-\alpha)^{1/3}]$	$\ln[1-(1-\alpha)^{1/3}]$

<sup>a</sup> D<sub>1</sub>: one-dimensional diffusion (power law); D<sub>2</sub>: two-dimensional diffusion; cylindrical symmetry; D<sub>3</sub>: three-dimensional diffusion; spherical symmetry; Jander eqn.; D<sub>4</sub>: three-dimensional diffusion; spherical symmetry; Ginstling-Brounshtein eqn.; F<sub>1</sub>: random nucleation; only one nucleus on each particle; A<sub>2</sub>: random nucleation; Avrami I eqn.; A<sub>3</sub>: random nucleation; Avrami II eqn.; R<sub>1</sub>: phase boundary reaction (zero-order); Polanyi-Wigner eqn.; R<sub>2</sub>: phase boundary reaction; cylindrical symmetry; R<sub>3</sub>: phase boundary reaction; spherical symmetry.

The author is aware of the fact that all methods of kinetic investigation relating to the decomposition of solids (particularly powders) provide data of a relative character, which are correct only for the conditions under which the measurement is performed. It is considered that results of the investigations of reaction kinetics by thermal analysis may contain considerable errors due to the non-isothermal conditions of measurement.

The activation energies,  $E_\alpha$ , for the particular stages of decomposition were determined in the following coordinate systems, respectively

$$f(\alpha)g(\alpha) \text{ vs. } T^2 \frac{d\alpha}{dT}$$

$$g'(\alpha) \text{ vs. } \frac{10^3}{T}$$

and

$$\ln \frac{g(\alpha)}{T^2} \text{ vs. } \frac{10^3}{T}$$

It was initially assumed that linearity of plots of the above mentioned dependences suggests the 'mechanism' connected with a particular functional form of  $\alpha$ .

The linear regression parameters were estimated by means of the least squares method. Regression analysis for each of the tested expressions was performed. Snedecor's test ( $F$ ) was used as a measure of the significance of the particular function  $f(\alpha)$

$$F = \frac{r^2(N-2)}{1-r^2} \quad (8)$$

where  $r$  is the linear regression coefficient, and  $N$  is the number of measuring points.

With  $F \geq F_{cr}$  it was assumed that the functional form  $f(\alpha)$  was essential, and therefore the probable 'mechanism' of the decomposition stage could be assigned.  $F_{cr}$  is the critical value of Snedecor's random variable  $F$  fitting the condition  $P(F \geq F_{cr}) = 0.01$ .

Values of the apparent activation energy  $E_\alpha$ , the linear regression coefficient  $r$ , Snedecor's test variable  $F$ , and the standard error of estimation  $S$  obtained from analysis of the dynamic TG curves on the basis of eqns. (5)–(7) are listed in Tables 2 and 3. The values presented in these tables have been obtained from the tested equations which fit best the experimental TG curves. For comparison, values of  $E_\alpha$  evaluated by the Arnold–Somogyvari–Paulik–Paulik (ASPP) method [32] (using the software of the Derivatograph C) have been included. From Table 2 it can be seen that the best fitting expressions for the first and third stages of  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  decomposition in air, selected on the basis of all the tested methods [eqns. (5)–(7)], are the same. These are the  $R_2$ ,  $D_4$ ,  $R_3$  and  $D_3$  functions for stage I

TABLE 2

Values of kinetic parameters from dynamic TG experiments in an air atmosphere

Stage	Range of $\alpha$	Model <sup>a</sup>	$E_{\alpha}$ (kJ mol <sup>-1</sup> )	$A$ (min <sup>-1</sup> )	Statistical parameters			Method <sup>c</sup>		
					$r$	$F$ <sup>b</sup>	$S$			
I	0.01–0.92	R <sub>2</sub>	146.4	–	0.9986	4677	0.009932	PD(5)		
		D <sub>4</sub>	276.5	–	0.9975	2594	0.007061			
		R <sub>3</sub>	167.0	–	0.9922	827	0.020707			
		D <sub>3</sub>	334.0	–	0.9922	827	0.040356			
		R <sub>2</sub>	157.1	–	0.9996	18136	0.043794	PD(6)		
		R <sub>3</sub>	161.3	–	0.9996	17697	0.045501			
		D <sub>3</sub>	322.6	–	0.9996	17697	0.091916			
		D <sub>4</sub>	311.3	–	0.9995	14473	0.094117			
		R <sub>3</sub>	153.1	$8.67 \times 10^{13}$	0.9996	16993	0.044019	CR		
		D <sub>3</sub>	313.9	$1.74 \times 10^{29}$	0.9996	16667	0.091248			
		R <sub>2</sub>	148.8	$2.93 \times 10^{13}$	0.9996	16291	0.043741			
		D <sub>4</sub>	302.4	$9.94 \times 10^{27}$	0.9995	14037	0.095804			
				147.2	$1.72 \times 10^{13}$	–	–	–	ASPP	
		II	0.02–0.95	D <sub>2</sub>	217.2	–	0.9912	616	0.014163	PD(5)
				D <sub>1</sub>	147.0	–	0.9715	185	0.038183	
R <sub>1</sub>	73.5			–	0.9715	185	0.076366			
D <sub>4</sub>	256.4			–	0.9674	161	0.023489			
F <sub>1</sub>	211.8			–	0.9912	614	0.193661	PD(6)		
A <sub>2</sub>	105.9			–	0.9912	614	0.096821			
A <sub>3</sub>	70.6			–	0.9912	614	0.064548			
D <sub>3</sub>	387.7			–	0.9868	409	0.434733			
R <sub>3</sub>	193.8			–	0.9868	409	0.217366			
F <sub>1</sub>	202.0			$2.46 \times 10^{16}$	0.9902	556	0.194192	CR		
A <sub>2</sub>	96.1			$8.64 \times 10^6$	0.9892	501	0.097353			
A <sub>3</sub>	60.8			$2.10 \times 10^4$	0.9880	449	0.065031			
D <sub>3</sub>	377.2			$5.74 \times 10^{31}$	0.9865	400	0.427608			
R <sub>3</sub>	184.0			$5.15 \times 10^{14}$	0.9853	366	0.218094			
				154.6	$8.72 \times 10^{11}$	–	–	–	ASPP	
III	0.04–0.90	D <sub>2</sub>	278.6	–	0.9937	862	0.011451	PD(5)		
		D <sub>1</sub>	197.3	–	0.9873	424	0.023063			
		R <sub>1</sub>	98.6	–	0.9873	424	0.046126			
		R <sub>1</sub>	109.9	–	0.9994	9248	0.033908	PD(6)		
		D <sub>1</sub>	219.7	–	0.9994	9248	0.067827			
		D <sub>2</sub>	234.8	–	0.9984	3447	0.118681			
		D <sub>1</sub>	205.5	$7.24 \times 10^9$	0.9994	8635	0.065649	CR		
		R <sub>1</sub>	95.7	$3.32 \times 10^3$	0.9993	7854	0.032039			
		D <sub>2</sub>	220.6	$3.68 \times 10^{10}$	0.9983	3261	0.114646			
				98.1	$1.17 \times 10^4$	–	–	–	ASPP	

<sup>a</sup> Models as in Table 1.<sup>b</sup>  $F_{cr}$  values are within the range 9.07–9.65.<sup>c</sup> PD(5), Phadnis–Deshpande method, eqn. (5); PD(6), Phadnis–Deshpande method, eqn. (6); CR, Coats–Redfern method, eqn. (7); ASPP, Arnold–Somogyvari–Paulik–Paulik method.

TABLE 3

Values of kinetic parameters from dynamic TG experiments in argon atmosphere

Stage	Range of $\alpha$	Model <sup>a</sup>	$E_{\alpha}$ (kJ mol <sup>-1</sup> )	$A$ (min <sup>-1</sup> )	Statistical parameters			Method <sup>c</sup>	
					$r$	$F^b$	$S$		
I	0.01–0.93	D <sub>3</sub>	318.9	–	0.9942	1204	0.008966	PD(5)	
		R <sub>3</sub>	159.4	–	0.9942	1204	0.017935		
		R <sub>2</sub>	141.0	–	0.9913	799	0.024911		
		D <sub>4</sub>	267.3	–	0.9853	468	0.017169	PD(6)	
		D <sub>1</sub>	244.8	–	0.9896	662	0.462729		
		R <sub>1</sub>	122.4	–	0.9896	662	0.231368		
		D <sub>2</sub>	255.1	–	0.9884	591	0.510397		
		D <sub>4</sub>	259.2	–	0.9877	557	0.534025		
		R <sub>2</sub>	130.6	–	0.9873	541	0.273372		
		D <sub>1</sub>	236.8	$7.27 \times 10^{21}$	0.9891	631	0.458382	CR	
		R <sub>1</sub>	114.1	$4.47 \times 10^{10}$	0.9883	586	0.229223		
		D <sub>2</sub>	246.6	$3.65 \times 10^{23}$	0.9876	553	0.509837		
		D <sub>4</sub>	251.4	$4.03 \times 10^{23}$	0.9873	539	0.526691		
		R <sub>2</sub>	122.5	$5.03 \times 10^{10}$	0.9858	482	0.271378		
				131.4	$2.93 \times 10^{11}$	–	–	–	ASPP
II	0.02–0.95	D <sub>2</sub>	181.6	–	0.9882	794	0.015427	PD(5)	
		D <sub>4</sub>	215.8	–	0.9765	391	0.018498		
		R <sub>2</sub>	118.4	–	0.9590	218	0.045156		
		F <sub>1</sub>	197.9	–	0.9889	838	0.020547	PD(6)	
		A <sub>2</sub>	99.0	–	0.9889	838	0.102736		
		A <sub>3</sub>	66.0	–	0.9886	838	0.068484		
		F <sub>1</sub>	188.1	$1.60 \times 10^{15}$	0.9876	752	0.206223	CR	
		A <sub>2</sub>	89.2	$2.14 \times 10^6$	0.9861	670	0.103520		
		A <sub>3</sub>	56.2	$2.01 \times 10^3$	0.9844	595	0.069211		
				130.7	$7.91 \times 10^9$	–	–	–	ASPP
III	0.01–0.94	D <sub>1</sub>	328.8	–	0.9812	389	0.028785	PD(5)	
		R <sub>1</sub>	164.4	–	0.9812	389	0.057568		
		D <sub>3</sub>	483.1	–	0.9976	3077	0.217603	PD(6)	
		R <sub>3</sub>	241.6	–	0.9976	3077	0.108787		
		F <sub>1</sub>	255.7	–	0.9974	2917	0.118287		
		A <sub>2</sub>	127.8	–	0.9974	2917	0.059141		
		A <sub>3</sub>	85.2	–	0.9974	2917	0.039429		
		D <sub>3</sub>	466.6	$1.72 \times 10^{21}$	0.9974	2831	0.219104	CR	
		R <sub>3</sub>	225.1	$5.05 \times 10^9$	0.9971	2593	0.110460		
		F <sub>1</sub>	239.3	$3.24 \times 10^{10}$	0.9971	2536	0.118708		
		A <sub>2</sub>	111.7	$6.76 \times 10^3$	0.9965	2147	0.060228		
		A <sub>3</sub>	68.8	$2.11 \times 10^2$	0.9960	1872	0.039746		
				305.8	$1.18 \times 10^{14}$	–	–	–	ASPP

<sup>a</sup> See Table 1.<sup>b</sup>  $F_{cr}$  values are within the range  $8.18 \times 8.86$ .<sup>c</sup> See footnote to Table 2.

and  $D_2$ ,  $D_1$  and  $R_1$  for stage III. Values of the activation energy calculated for a particular model (e.g.  $R_2$ ) with PD(5), PD(6) and CR methods (see Table 2) are not the same; however, they are close to one another. The  $E_\alpha$  value (stage I) evaluated by the ASPP method is the closest to the  $E_\alpha$  values calculated for the  $R_2$  model. For stage III the  $E_\alpha$  ASPP value is the nearest to  $E_\alpha$  ( $R_1$ ). Somewhat different are the results obtained for the second stage of dissociation in air. The PD(5) method indicates the models  $D_2$ ,  $D_1$  and  $R_1$  as being the most likely, whereas integral methods PD(6) and CR point to quite other models ( $F_1$ ,  $A_2$ ,  $A_3$ ). On the other hand the values of activation energy  $E_\alpha$  ( $D_2$ ) and  $E_\alpha$  ( $F_1$ ) are close to each other.

The results presented in Table 3 for the thermal decomposition of  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  in an argon atmosphere show that, for all three stages of dissociation, the best fitting expressions selected with integral methods PD(6) and CR are different from those chosen by using the PD(5) method. This may suggest that the selected functions depend more on the method of mathematical treatment than on the experiment. The  $E_\alpha$  values calculated for particular models by means of both integral methods have been approximated. For stage I the values of  $E_\alpha(R_2)$  and  $E_\alpha(R_1)$  are nearest to each other and in good agreement with the value obtained with the ASPP method. For stage II, the nearest values are  $E_\alpha(D_2)$  from PD(5),  $E_\alpha(F_1)$  from PD(6) and  $E_\alpha(F_1)$  from CR. Accordingly, for stage III, it appears that  $E_\alpha(D_3)$  from PD(6)  $\approx$   $E_\alpha(D_3)$  from CR and  $E_\alpha(R_3)$  from PD(6)  $\approx$   $E_\alpha(R_3)$  from CR. Comparison of the best fitting expressions on the basis of the PD(5) method reveals that the same models have been selected for the first stage of the thermal decomposition of  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  in both gaseous atmospheres, while for stage II or III only some of the models are the same (see Tables 2 and 3).

From the integral methods the following relations have been found for the two atmospheres: for stage II the same models ( $F_1$ ,  $A_2$  and  $A_3$ ); for stage I only some models are the same ( $R_2$  and  $D_4$ ); for stage III, different models.

It has been observed that the  $E_\alpha$  values for dissociation in argon (stages I and II) are lower than these in air for the corresponding models.

The dependences mentioned above are similar to those presented in Ref. 33 and are in agreement with the sequences of  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  thermal decomposition presented earlier.

If the assumption is made that the form of  $f(\alpha)$  or  $g(\alpha)$  is connected with the reaction mechanism, then it may be considered that the pairs of mechanisms  $R_n D_n$  selected for stages I and III do not conflict with the results of morphological studies presented in Ref. 30.

The principal conclusion resulting from the data reported above is that, on the basis of dynamic measurements, the selection of only one kinetic model is practically impossible using the presented methods, i.e. PD(5), PD(6) or CR. Of course, it is possible to force a selection of one model with the highest value of Snedecor's test  $F$ , or the regression coefficient  $r$ , but



small differences in their values presented in Tables 2 and 3 do not justify this being done.

Results from the performed experiments and the data presented above confirm the problem, mentioned many times, that it is impossible to choose one kinetic model from dynamic measurements.

The Phadnis–Deshpande method has an additional disadvantage, as pointed out earlier [33], that the following relations of the activation energy values exist

$$E_{\alpha}(D_1) = 2E_{\alpha}(R_1)$$

$$E_{\alpha}(F_1) = 2E_{\alpha}(A_2) = 3E_{\alpha}(A_3)$$

$$E_{\alpha}(D_3) = 2E_{\alpha}(R_3)$$

In consideration of the above mentioned problems in choosing one proper kinetic model followed by evaluation of the real kinetic parameters, investigations under isothermal conditions have been performed.

### *Isothermal experiments*

The kinetic model functions in integral form  $g(\alpha)$  listed in Table 1 were examined for the particular stages of  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  thermal decomposition by conventional isothermal analysis according to the following kinetic equation

$$g(\alpha) = kt \tag{9}$$

where  $\alpha$  is the degree of conversion,  $k$  is the rate constant and  $t$  is the isothermal time.

Thus, a plot of  $g(\alpha)$  vs.  $t$  should yield a straight line when the appropriate kinetic model is used. The slope provides the apparent rate constant  $k$ .

Figures 1a–c show the  $\alpha$  vs.  $t$  curves obtained from the isothermal TG experiments for the different stages of  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  decomposition. The form of the curves in Fig. 1a (stage I) suggests deceleratory models, i.e. contracting area ( $R_2$ ) or volume ( $R_3$ ). The rectilinear parts of the curves in the range of  $\alpha$  up to 0.95 in Fig. 1b (stage II) indicate the  $R_1$  model. As can be seen in Fig. 1c (stage III), the experimental points fall fairly close to the straight line, which may suggest the  $R_1$  model as well.

Table 4 gives values of the rate constant calculated for the best fitted models, together with the statistical parameters  $r$ ,  $F$  and  $S$ . In Table 5 approximate values of the kinetic parameters  $A$  and  $E_{\alpha}$  are presented.

The data reported in Table 4 show that, for the first stage of dissociation, the best models are  $R_3$  and  $R_2$ , which are compatible with the results from non-isothermal experiments. The approximate  $E_{\alpha}$ ,  $A(R_3)$  values calculated from the isothermal experiments (see Table 5) are close to  $E_{\alpha}$ ,  $A(R_2)$  from

TABLE 4

Values of kinetic parameters from isothermal TG curves in air atmosphere.

Stage	Range of $\alpha$	Temperature (K)	Model	Rate constant $k \times 10^3$ ( $\text{min}^{-1}$ )	Statistical parameters			
					$r$	$F^a$	$S$	
I	0.07–0.80	498.5	$R_3$	10.176	0.9967	3186	0.030467	
			$R_2$	8.965	0.9945	1891	0.034838	
			$D_1$	5.848	0.9940	1742	0.023678	
			$D_2$	4.300	0.9908	1133	0.021589	
	0.02–0.95	502.0	$R_3$	12.080	0.9985	4696	0.032503	
			$R_2$	10.013	0.9975	2838	0.034659	
			$D_1$	6.469	0.9969	2247	0.025161	
			$D_2$	5.490	0.9909	756	0.036832	
	0.10–0.95	506.0	$R_2$	13.844	0.9995	16002	0.014047	
			$R_3$	16.787	0.9988	6788	0.026152	
			$A_2$	12.653	0.9980	4002	0.025673	
			$D_1$	9.183	0.9971	2817	0.022208	
II	0.06–0.95	552.0	$R_1$	4.014	0.9996	25138	0.008054	
			$A_3$	4.121	0.9934	1586	0.032921	
	0.07–0.96	561.0	$R_1$	4.611	0.9988	7430	0.013795	
			$A_3$	4.834	0.9932	1319	0.034330	
			$R_2$	7.613	0.9900	888	0.065865	
	0.13–0.95	583.0	$R_1$	12.535	0.9992	7124	0.011200	
			$R_2$	19.990	0.9956	1348	0.041055	
			$A_2$	18.673	0.9904	615	0.056782	
	III	0.02–0.62	761.5	$R_1$	1.350	0.9974	4322	0.014808
				$A_2$	1.778	0.9966	3363	0.022110
				$R_2$	1.664	0.9965	3235	0.021096

<sup>a</sup>  $F_{cr}$  values are within the range 7.88–9.33.

TABLE 5

Approximate values of kinetic parameters for selected models: isothermal experiments

Stage	Model	$E_\alpha$ ( $\text{kJ mol}^{-1}$ )	$A$ ( $\text{min}^{-1}$ )	$r$
I	$R_3$	144.4	$1.35 \times 10^{13}$	0.986929
	$R_2$	125.6	$1.25 \times 10^{11}$	0.966782
II	$R_1$	102.9	$1.98 \times 10^7$	0.982454
	$A_2$	103.8	$3.56 \times 10^7$	0.988316
	$A_3$	112.7	$1.71 \times 10^8$	0.983522
	$R_2$	102.8	$3.1 \times 10^7$	0.988614

PD(5) and CR methods and  $E_\alpha$ ,  $A$  from ASPP methods. Therefore it may be concluded that, for the first stage of thermal decomposition in air, the best models are  $R_3$  and  $R_2$ . It is emphasized that the isothermal kinetic characteristics of solid state decomposition reactions are often determined by the progressive changes of interface geometry as the reaction advances [34].

For the second stage of  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  decomposition in air, the best model within the whole temperature range is  $R_1$ . This model appeared among the best fitted ones only with the PD(5) method when the dynamic experiments were made. The approximate  $E_\alpha$ ,  $A$  values for the best models of stage II presented in Table 5 are very close to each other. The values of  $E_\alpha$ ,  $A(A_2)$  from isothermal experiments are near to  $E_\alpha$ ,  $A(A_2)$  determined by integral methods for non-isothermal measurements (see Table 2).

For the third stage of  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  decomposition the TG isothermal curve is fitted best by the  $R_1$  model, which is compatible with the results of dynamic experiments.

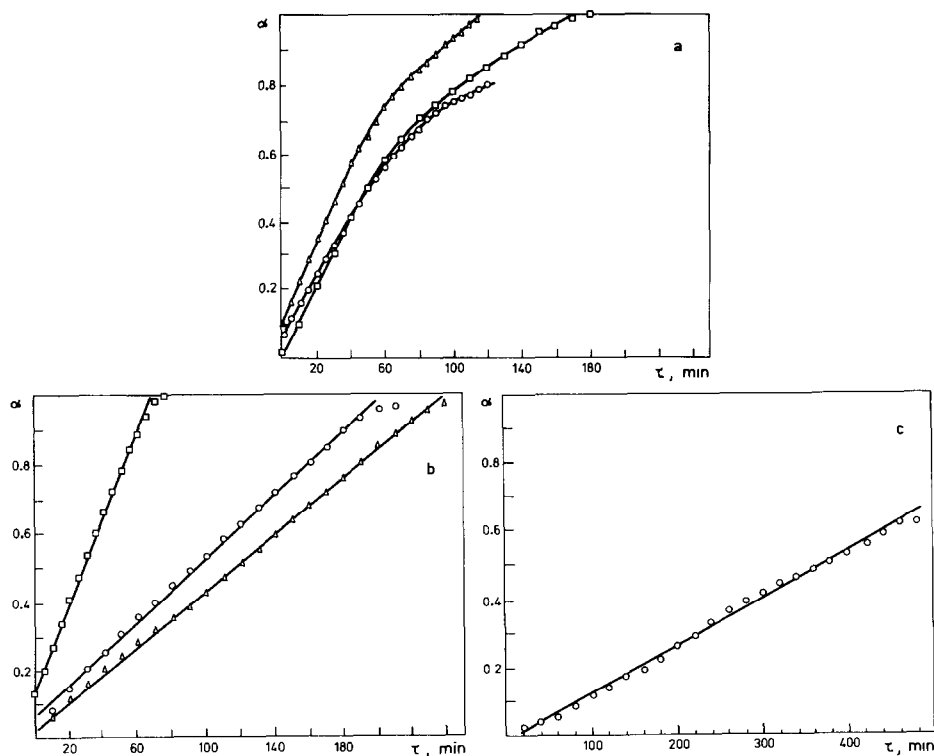


Fig. 1. Isothermal conversion-time curves. (a) First stage of dissociation:  $\circ$ , 498.5 K;  $\square$ , 502 K;  $\triangle$ , 506 K. (b) Second stage of dissociation:  $\triangle$ , 552 K;  $\circ$ , 561 K;  $\square$ , 583 K. (c) Third stage of dissociation:  $\circ$ , 761.5 K.

## CONCLUSIONS

The various results obtained have confirmed the view expressed earlier by Arnold et al. [35–38] that the mathematical method of treatment of experimental results influences the choice of the best fitted model. In this paper the second stage of thermal decomposition of  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  is a good illustration of this fact.

The results corroborate the opinion given in the introduction of this paper that it is advisable to combine isothermal and non-isothermal measurements. This approach simplifies the selection of the models best fitting the experimental TG curves followed by the calculation of reliable kinetic parameters.

The  $R_n$  models selected as those best fitting the experimental TG curves suggest that the kinetics and macromechanism of the thermal decomposition of  $[\text{Co}(\text{NH}_3)_6]\text{Cl}_3$  could be governed by phase boundary processes. This has been confirmed by morphological observations [30,39]. Similarly, the results of Oswald and co-workers [8,40] revealed that the phase boundary process controlled the macroscopic mechanism of the thermal decomposition of single crystals of some nickel complex compounds.

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